Surface Topography Assessment Techniques based on an in-Process Monitoring Approach of Tool Wear and Cutting Force Signature

One of the most influential sources in machining affecting surface roughness is the instantaneous state of tool wear. The main objective of the current work is to relate the in-process measurable cutting edge deformation and surface roughness to a more reliable easy-to-measure force signals using a robust non-linear time-dependent modeling regression techniques. Correlation between wear propagation and roughness variation is developed throughout the different edge lifetimes. The surface roughness is further evaluated in the light of the variation in both the static and the dynamic force signals. Consistent correlation is found between surface roughness variation and tool wear progress within its initial and constant regions. At the first few seconds of cutting, expected and well known trend of the effect of the cutting parameters is observed. Surface roughness is positively influenced by the level of the feed rate and negatively by the cutting speed. As cutting continues, roughness is affected, to different extents, by the rather localized tool wear modes. Moreover, it seems that roughness varies as wear attitude transfers from one mode to another and, in general, it is shown that it is improved as wear increases but with possible corresponding workpart dimensional inaccuracy. The dynamic force signals are found reasonably sensitive to simulate either the progressive or the random modes of tool edge deformation. While the frictional force components, 

Introduction

The ultimate objective of a machining process is to come up with a product with acceptable features of safety, quality and cost. Both safety and quality requirements are the main elements of what is called “surface integrity”. Surface integrity has two important parts. The first is surface texture, which governs principally surface roughness, essentially is a measure of surface topography (surface finish and dimensional accuracy). The second is surface metallurgy which is a study of the nature of the surface layer produced in machining (subsurface damage, residual stresses, and surface work hardening) (Machining Data Handbook Machinability Data, 1972).

Ideally when the cutting edge is still intact, surface roughness of a machined workpart is predominantly principally affected by the cutting parameters, especially feed rate, as well as the edge configuration. Once wear scars develops on the edge, many other influencing factors are introduced and surface quality is no longer of ideal or deterministic nature. It is thought that tool wear is one of the main sources of process variability since it excites and escalates friction and forces. Edge deformation may be either progressive or random. Progressive wear is inevitable as the tool is in intimate contact with the abrasive inclusions of the workpart material. Edge is categorized, according to the wear mode, into nose, flank and notch regions. Additionally, a crater develops on the tool face as the strain-hardened, underside, chip surface slides out generating a crater that increases in both depth and width as time passes. However, cratering of coated carbide inserts is usually less likely to occur at practical moderate cutting speed-feed rate ranges where the controlling factor for tool life is only the flank and the nose wear modes (Lim et. al. 1999).

In spite of their functionally undesired impact, edge wear and deformation are still difficult and costly to monitor on-line during the unmanned automated manufacturing processes. Conventional direct techniques to assess edge wear and life are not always accurate due to the common process variability (Oraby 1995a).

Keywords: dynamic force signals; surface roughness (finish); tool wear and deformation; tool wear modes (nose, flank)
Experimental Set Up and Data Collection Procedures

To obtain a statistically significant and well conditioned data over a specified cutting parameters domain, it is necessary to design the experiments accordingly. The unplanned or happenstance data arising from non-designed experiments might not have the desired properties needed for regression analysis, and hence cause ambiguities during model building (Balakrishnan & DeVries 1983). There are many methods for design of the experiments such as factorial design, fractional factorial design, central composite design, and non-central composite design. The central composite design CCD is the most appropriate to the purpose of metal cutting modeling (Draper & Smith 1967 & Hines and Montgomery 1982). Moreover, (CCD) experimental design technique is used to design the experiments so as to save time, tools and specimens over the conventional one-variable-in-turn approach. For each of the cutting parameters (cutting speed, feed rate and depth of cut), three levels (low-medium-high) are selected for the first order formulation. To account for the possible non-linearity and interaction involved in the data, two augmentations are added (lowest & highest). Center and augment experiments are replicated to distinguish between lack-of-fit and experimental error. The CCD experimental design procedures has led to 24 constant-variables as indicated in Table 1.

The employed cutting tools are multi coated carbide inserts [Sandvik GC435] with standard SPUN 10 03 12 designations, with flank, nose and notch areas. Three force signals are measured using a Perth-O-Meter surface roughness stylus device. Surface roughness values, in center-line-average Ra in µm, are measured using a Perth-O-Meter surface roughness stylus device. Historically, Ra (µm) is one of the first parameters used to quantify surface texture. Most surface texture specifications include Ra (µm) only quantifies the “absolute” magnitude of the surface heights and is insensitive to the spatial distributions of the surface roughness at the initial stage when the tool is new. This interval lasts for few moments after which wear begins to progressively develop and spread over the cutting edge. At this stage, roughness peaks are theoretically affected only by the employed cutting parameters. To establish a meaningful relationship, the use of the non-linear regression procedures in SPSS computer program, along with 24-data point experimental data recorded at the initial stage has led to the establishment of the following model:

\[
Ra(\mu m) = 2858.364 \cdot 1.0957 \cdot \cdot 1.1136 \\
\cdot 0.0840 \\
\cdot 0.0840 \\
(\mu m),
\]
n which Ra (µm) is the nominal surface roughness in center-line-average (µm), F is the feed rate in mm/rev, V is the cutting speed in m/min and d is the depth of cut in mm. With (corrected) correlation factor R$^2$ of 93.3%, model proves to be significant. However, the parameter of depth of cut is found to have an unacceptable value of the standard error and this, in addition to its weak impact, suggest that the depth of cut has the least effect of the surface roughness.

From technological interpretation viewpoints, parameters of model (1) reflect both the quantitative and the qualitative impact of each of the cutting parameters on the nominal value of surface roughness. For cutting speed and feed rate, a similar, but opposite, trend is observed. Regarding depth, a weak negative impact is noticed. While the feed rate effect can be justified as a bigger value usually generates more microirregularity marks on the machined surface, the cutting speed influence may be explained in the light of tribological aspects. Surface roughness is usually improved at higher cutting speeds due to the resulting high deformation rate as well as the reduced coefficient of friction. Beyond a certain level of cutting speed, however, the cutting process is stabilized leading to less surface roughness.

Better understanding of model (1) can be obtained using both suitable three-dimensional graphical and contouring programs such as “Surfer” from GoldenTM (Golden Software, Inc.). As shown in Fig. 1, functional interrelation between each of feed rate and cutting speed and surface roughness is clearly detected. At moderate-to-high cutting speeds, surface roughness follows a linear trend. However, outside this region, the relation tends to show a non-linear attitude. Generally, three main regions may be identified on the graph: first, a low feed rate-high cutting speed region where roughness Ra is in the range (1-2 µm); second, a moderate feed rate-moderate cutting speed where Ra becomes with higher value of 10 µm. Finally, Ra reaches its ultimate values at the high feed rate-low cutting speed region.

The effect of both the operating cutting conditions and the cutting forces on the surface roughness within the initial wear stage is now explained in the light of the encountered variations in the recorded experimental force signals.

![Figure 1. Contours of cutting speed-feed rate-roughness interrelation.](image)

### Table 1. CCD of the experimental procedures.

<table>
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<tr>
<th>Test No.</th>
<th>Subtest Model Type</th>
<th>Cutting Speed, V (m/min)</th>
<th>Feed Rate, F (mm/rev)</th>
<th>Depth, D (mm)</th>
<th>No. of Subtests (Data Points/experiment)</th>
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<td>1.50</td>
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i) Effect of Feed Rate

At ideal edge state when the tool is intact, feed rate is well recognized as the predominant factor controlling surface roughness. The use of higher feed rate produces deeper micro-irregularities on the work surface. Figure 2 shows records of the first two minutes of the dynamic force signals of two experiments. While Fig. 2a shows force signals for a test with a feed rate of 0.6 mm/rev, Fig. 2b represents another test when the feed rate is reduced to 0.06 mm/rev. During both tests cutting speed and depth of cut are maintained constant at 104 m/min and 2.25 mm respectively. As it is expected, the mean force value (static force component) for the higher feed rate, Fig. 2a is about twice as large as that when the smaller feed rate, Fig. 2b, is used. However, investigation of the first few seconds (initial wear stage) of the dynamic force signals indicates that much wider dynamic amplitude exists for the higher feed rate of 0.6 mm/rev, Fig. 2a. This seems to affect the surface roughness as the measured value are found to be Ra=8.3 and 0.11 µm for tests a and b respectively.

![Figure 2. Effect of feed rate on the nominal dynamic force signals at the initial wear stage.](image)

ii) Effect of Cutting Speed

Model (1) indicates that cutting speed has an almost equal opposite impact to that of feed rate on the surface roughness. At lower cutting speeds, higher roughness peaks are due to high friction accompanied by low strain rate (low elastic-plastic deformation) that leads to the periodical formation and breakage of build-up-edge (BUE). When BUE separates, it generally carries a tiny portion of insert material. This irregular mechanism affects the edge surface leading to micro scratches on the machined surface. Moreover, the frequent mechanism of formation and removal of BUE usually results in system instability through inducing an exciting force into the system. Eventually, the tool oscillates randomly and uncontrollably projecting its stochastic fingerprints on the machined surface. The above facts are reflected on the dynamic amplitude of the force signals in Fig. 3a (low cutting speed of 50 m/min) comparing to that when a high cutting speed level of 206 m/min is used, Fig. 3b. While at low cutting speed, Fig. 3a, dynamic amplitude (fluctuations) domain ranges from 1200-1425 N, a tighter domain of maximum 100 N is observed for the high cutting speed level, Fig. 3b. As cutting speed increases, Fig. 3b, friction is reduced and strain rate increases which is accompanied by force decrease leading to a more stable process or, better surface roughness. Measured corresponding values of surface roughness Ra are found to be 7.0 and 1.6 µm for cases a and b respectively and, this reflects the extent of surface quality improvement due to cutting speed increase.

![Figure 3. Effect of cutting speed on the nominal dynamic force signals at the initial wear stage.](image)

iii) Effect of Depth of Cut

Regarding depth of cut, model (1) indicates a weak negative impact on the surface roughness. To investigate the influence of depth of cut on the surface roughness at the initial wear stage, two tests are conducted as shown in Fig. 4. Values of depth have been selected to be either 1.5 mm, Fig. 4a, or 3 mm, Fig. 4b, with
constant cutting speed and feed rate of 104 m/min and 0.2 mm respectively. Corresponding measured values of the surface roughness Ra are found to be almost constant value of 2.95 and 2.88 μm respectively. However, dynamic behavior of the force signals for higher depth of cut indicates a very slight variation in favor of system stability especially for the feeding force component Fx.

Progressive Wear-Force-Surface Roughness Interrelationship

Following the initial wear stage, tool enters its second phase at which wear progressively develops with almost a constant rate. This stage lasts most of the edge useful lifetime until edge fails catastrophically as it reaches the temperature sensitive plastic deformation region. To avoid system disorder resulting from catastrophic failure during realtime machining, it has been the goal of many investigations is to have an appropriate early warning and tool change strategy in which tool is not left in service until the failure occurs. A great challenge is usually imposed since, in most situations, transmission between second and third wear phase occurs almost instantaneously, Fig. 5.

In order to evaluate surface roughness at the second wear stage (Ra in μm), it is expected to be wear and time dependent as:

$$Ra(t) = Ra_{(iw)} + b_0 N_{w}^{b_1} F_{w}^{b_2} N_{cw}^{b_3} t^{b_4} \quad \text{(μm)},$$

in which Nw, Fw, and Ncw are nose, flank, notch wear respectively, while t is the aggregate cut time. Using non-linear estimation procedures in association with experimental data within both initial and constant wear rate zones has led to the following predictive form:

$$Ra(t) = [211.2356] (f \times 10^{1.0932}) V^{(-1.1096)} + [7.38E - 07] (N_{w} \times 10^{-3.5747}) (F_{w} \times 10^{-1.6175}) (N_{cw} \times 10^{-2.8899}) t^{(4.3786)} \quad \text{(μm)}.$$  

Another modeling strategy to enhance model significance is thought to be through the use of average wear values (Aw), as a mean of the three wear modes reading, in place of individual wear values:

$$Ra(t) = [211.2356] (f \times 10^{1.0932}) V^{(-1.1096)} + [3.12248 E - 06] (A_{w} \times 10^{-7.6192}) t^{(3.9654)} \quad \text{(μm)}.$$  

Model (4) is less complicated and results in relatively improved t-test values. Another model approach is the use of the average wear rate (Awr):

$$Ra(t) = [211.2356] (f \times 10^{1.0932}) V^{(-1.1096)} + [0.00128] (A_{wr} \times 10^{(-4.4761)}).$$

Model (5) showed better statistical characteristics in addition to the fact that it is easy to manipulate without affecting the functional implementation of the roughness-wear trend.

Individual Effect of Wear Modes

This section is intended to extract and evaluate the individual and the independent influence of each wear mode on surface roughness. This gives a more precise judgment about the impact of the variable under investigation than what is indicated in the general models (3-5) where a possible interaction among variables often exists. Fitting procedures have resulted in the following models:
Comparing normal models (6-8) and those for wear rate (9-11), the latter give slightly better statistical characteristics regarding t-test value for \((b_0)\). In fact, this could be a result of reducing the number of independent variables (less degrees of freedom).

The influence of tool edge failure modes on the surface roughness may be explained in the light of the corresponding recorded force signals. Modelling approach of the experimental data usually represents the overwhelming deterministic trend of the response under investigation. This means that much useful information about random modes of edge failure is not emphasized in the developed model. On contrast, the use of the dynamic force signals is proved to be very sensitive to any disturbances due to any irregular traces of edge failure. The force signals at different directions are found, to different extent, a better indicator about the existence of the different modes of edge failure and breakage than that produced by a deterministic static model. Figure 6 shows the last three subtests (two minutes each) of the wear-time test at which failure initiates and finally fails. As tool edge approaches failure, Fig. 6b, both feeding and radial components increase in the static magnitude comparing to the preceding subtest, Fig. 6a, while the vertical component shows wider dynamic fluctuations reflecting the existence of system instability. Also, at edge failure, Fig 6c, the radial component \(F_z\) is significantly increased both dynamically and statically while a limited increase is observed in the feeding component \(F_x\). The vertical component continues to attain a high dynamic instability due to edge failure. The distinguished increase in the radial component is, in fact, a response to the type of wear modes and its location on the cutting edge. After examination, the onset of the edge breakage is observed only at the nose area normal to workpart axis. Due to such mode of edge failure, surface quality deteriorates as the corresponding surface roughness values \(R_a\) of the three successive subtests shown in Fig. 6 are measured to be 9.5, 10 and 12 respectively. Therefore, while it may be stated that the tool breakage can be detected either by the static force increase in the radial \(F_z\) force component or by the dynamic fluctuations of the vertical force component \(F_y\). The surface roughness of the process is observed to be in a good agreement with the dynamic records of the vertical force component \(F_y\). However, in cases when a high wear rate develops due to high cutting speed, Fig. 5, a wear spreads over the whole edge with a regular pattern causing an increase in both feeding \(F_x\) and \(F_z\) force components. However, with such a stable conditions, only a slight static and dynamic influence is noticed on the vertical component \(F_y\). The dynamic attitude of the vertical component \(F_y\) at the instant of tool failure seems to be negatively affected by the employed cutting speed. At low cutting speed of 50 m/min, Fig. 6, vertical force component \(F_y\) responds drastically to edge failure while at high cutting speed of 206 m/min, Fig. 5, it is seldom affected.

Figure 6. Tool breakage due to nose deformation at low cutting speed.

Speed = 50 m/min.
Feed = 0.2 mm/rev.
DOC = 2.25 mm.
Sampling Time (0.036 sec).
Aggregate Pass Cut Time = 158.4 min.
Figure 7 gives evidence on how various force components are very sensitive to represent the actual distribution of wear over the cutting edge. At the end of subtest (a), Fig. 7a, tool nose is severely deformed as edge hits a hard spot on the machined surface. Accordingly, the radial force component $Fz$ suddenly responds reaching almost threefold of its original value while the feeding component $Fx$ has attained a smaller increase of only about 40% of its original value. The vertical component $Fy$ is slightly affected both in static magnitude and dynamic domain. Four minutes later, Fig. 7b, a total system instability, both axially and radial, is attained with the highest magnitude for the $Fz$ component. The values of the surface roughness $Ra$ are 4.0 and 6.0 ($\mu$m) for the two subtests. This change in the surface roughness is affected due to two concurrent reasons; the edge deformation at the nose and the corresponding system instability. Again, at moderate-to-high cutting speeds, $Fy$ does not precisely respond to the tool deformation and, therefore, it cannot be trusted as a grant as a relevant indicator.

However, it seems that the attitude of different force signals is affected by the type, the location and the configuration of the wear mode. Figure 8 shows force signals of three successive subtests carried out at low cutting speed of 72 m/min and moderate-to-high feed rate of 0.3 mm/rev. While Fig. 8a represents the stable process, Fig. 8b is for the subsequent subtest at which edge failure initiates at both the flank and the notch areas. Wear continues with higher rate within the last subtest of the experiment, Fig. 8c, at which tool is completely failed. Again, the vertical force component $Fy$ responds dynamically to the occurrence of the flank and the notch wear at hostile conditions of low cutting speed and high feed rate. However, it is observed that the feeding component $Fx$ is the most sensitive to the existence of both the flank and/or the notch wear. Due to such edge deformation, corresponding increase in the roughness values is observed with $Ra$ of 7.3, 8 and 10 ($\mu$m) respectively for subtests a, b and c respectively.
In addition to the previously discussed common types of edge wear and deformation, which results basically from the friction of tool-workpiece interface, there are some other irregular deformation modes resulting from the possible imperfections in the tool materials and from any other unexpected reasons such as chipping, micro breakage or even system instability due to bad design of some of the system elements. The effect of possible disturbances during cutting on the behaviour of force signals is illustrated by a sample results as shown in Fig. 9. As shown in Fig. 9a, tool chipping and fractures usually causes a sudden increase in the magnitude of both feeding Fx and radial Fz components as well as a temporary dynamic effect of the vertical force component Fy. When chipping and fracture occur, a new and wider tool-workpiece contact area is developed, and this increases the normal force on the tool’s clearance face. At the case of process instability, Fig. 9b, the vertical component Fy tends to be the most sensitive to the machining stability, see also Fig. 9.b. Figure 9.c illustrates the dynamic force signals interval at which the edge has hit three adjacent hard spots in the workpiece material and, as a result, a failure has occurred only at both the nose and the flank areas leading to force magnitude increase with the vertical component is slightly affected. It is observed that this wear mode has a high impact on the surface roughness where its values has increased from Ra=2.7 µm at the preceding subtest to Ra=4.5 µm for the current subtest. Fig 9.d shows the force signals at the plastic deformation situation for a test with high cutting speed of 206 m/min. The tool damage has spread regularly over the whole contact area so causing a rapid rate of increase of force for both feeding Fx and radial Fz components with moderate variation in the surface roughness Ra=1.7 µm at preceding subtest to Ra=2 µm at the current one.

Mathematical Modeling of the Force-Surface Roughness Interrelationship

From the aforementioned discussion, too many observations and concluding remarks are obtained. First all, the surface quality is not of constant nature throughout the whole tool lifetime and, this is due to the inevitable variability especially those associated with the instantaneous state of the cutting edge (Oraby et. al. 2004). Second, there is a universal agreement regarding the strong correlation between the existence of the different modes of edge wear and deformation and the corresponding changes in the cutting force either statically (Oraby & Hayhurst 1991, Youn & Yang 2001, Oraby & Hayhurst 2004) or dynamically (Oraby 1995b). Therefore, it may be beneficial to relate the surface roughness to the relevant cutting forces using the appropriate deterministic mathematical tool. To get an empirical equation to relate the surface finish to the cutting forces, the experimental data, including about 660 points, are used in association with the nonlinear routine available in the SPSS computer program. This has led to the development of the following model: in which t is the aggregated cutting time in minutes.

\[
Ra = 8715.1 \times F_x^{(-1.177)} \times F_y^{(1.2949)} \times d^{(1.249)} \times \left[ \frac{F_x}{t} \right]^{-0.018} \times \left[ \frac{F_y}{t} \right]^{-0.505} \times \left[ \frac{F_z}{t} \right]^{0.461} \]  

(12)

Figure 9 Force signals as affected by various modes of edge wear.
Model (12) produces a quantitative assessment of the effect of each of the cutting parameters along with the variation in the force rate on the surface roughness. As discussed in model (1), in contrast to the effect of depth of cut, both cutting speed and feed rate have an opposite similar strong impact on the roughness. Regarding the effect of force rate, the cutting component $F_x$ shows a minor impact on the surface roughness while both the power $F_y$ and the radial $F_z$ components indicate a strong influence. Technically, this does not necessary mean that feeding force component $F_x$ itself is of no effect on the surface roughness but it is possible that its influence is diluted within the effect of the feed rate which is already included into the developed model. The rate of change of the radial force component $F_r$ shows a positive effect on the roughness and, this can be justified as it is most affected by the deformation on the nose area which has the most influence on the surface finish. The negative power of the rate of change of the vertical force component may be attributed to its dynamic effect and system stability. As time goes on, the developed wear on the nose area spreads out over the cutting edge and becomes more evenly distributed and, therefore, resulting in a more tight dynamic fluctuations or, a more stable process leading to better surface finish.

Modelling statistical output produced proves of model significance with 90.5% correlation factor R2. However, the 95% confidence interval shows wider domains (high standard error) for coefficients of both the depth of cut and the feeding force rate. This suggests a better strategy considering the exclusion of these two parameters. This has led to the establishment of the following more compact model (4).

$$Ra = 12212.182 \times F_y^{(-1.219)} \times F_z^{(1.293)} \times \left(\frac{F_y}{t}\right)^{(-0.498)} \times \left(\frac{F_z}{t}\right)^{0.444} (\mu m)$$

Model (4) presents a tight and adequate representation of the functional relationship between the surface roughness $Ra$ and the cutting parameters (Cutting Speed and Feed Rate) along with rate of change in both the vertical and the radial cutting force components.

This can be the core of an adaptive control optimization ACO strategy in which the surface roughness is monitored and controlled throughout the force measurement together with the operating cutting parameters. This can be further extended to include a secondary objective as edge wear is monitored using wear-roughness models developed in the previous study (Oraby et al. 2004).

Conclusions

The cutting force is one of the most practical responses to handle in adaptive control techniques due to its easy-to-measure and manipulate features and due to its strong correlation with the edge wear which is the most controlling factor of the surface roughness. It is intended in the current work to analyze and evaluate the tool-wear which is the most controlling factor of the surface roughness. As discussed in model (1), in contrast to the effect of depth of cut, both cutting speed and feed rate have an opposite similar strong impact on the surface roughness. Regarding the effect of force rate, the cutting component $F_x$ shows a minor impact on the surface roughness while both the power $F_y$ and the radial $F_z$ components indicate a strong influence. Technically, this does not necessary mean that feeding force component $F_x$ itself is of no effect on the surface roughness but it is possible that its influence is diluted within the effect of the feed rate which is already included into the developed model. The rate of change of the radial force component $F_r$ shows a positive effect on the roughness and, this can be justified as it is most affected by the deformation on the nose area which has the most influence on the surface finish. The negative power of the rate of change of the vertical force component may be attributed to its dynamic effect and system stability. As time goes on, the developed wear on the nose area spreads out over the cutting edge and becomes more evenly distributed and, therefore, resulting in a more tight dynamic fluctuations or, a more stable process leading to better surface finish.

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$$Ra = 12212.182 \times F_y^{(-1.219)} \times F_z^{(1.293)} \times \left(\frac{F_y}{t}\right)^{(-0.498)} \times \left(\frac{F_z}{t}\right)^{0.444} (\mu m)$$

Model (4) presents a tight and adequate representation of the functional relationship between the surface roughness $Ra$ and the cutting parameters (Cutting Speed and Feed Rate) along with rate of change in both the vertical and the radial cutting force components.

This can be the core of an adaptive control optimization ACO strategy in which the surface roughness is monitored and controlled throughout the force measurement together with the operating cutting parameters. This can be further extended to include a secondary objective as edge wear is monitored using wear-roughness models developed in the previous study (Oraby et al. 2004).

Conclusions

The cutting force is one of the most practical responses to handle in adaptive control techniques due to its easy-to-measure and manipulate features and due to its strong correlation with the edge wear which is the most controlling factor of the surface roughness. It is intended in the current work to analyze and evaluate the tool-wear which is the most controlling factor of the surface roughness. As discussed in model (1), in contrast to the effect of depth of cut, both cutting speed and feed rate have an opposite similar strong impact on the surface roughness. Regarding the effect of force rate, the cutting component $F_x$ shows a minor impact on the surface roughness while both the power $F_y$ and the radial $F_z$ components indicate a strong influence. Technically, this does not necessary mean that feeding force component $F_x$ itself is of no effect on the surface roughness but it is possible that its influence is diluted within the effect of the feed rate which is already included into the developed model. The rate of change of the radial force component $F_r$ shows a positive effect on the roughness and, this can be justified as it is most affected by the deformation on the nose area which has the most influence on the surface finish. The negative power of the rate of change of the vertical force component may be attributed to its dynamic effect and system stability. As time goes on, the developed wear on the nose area spreads out over the cutting edge and becomes more evenly distributed and, therefore, resulting in a more tight dynamic fluctuations or, a more stable process leading to better surface finish.

Among wear modes, the nose wear is found to be the predominant mode with a strong influence on the radial force component $F_z$. The flank and the notch deformation usually affect the feeding force component $F_x$. Variations in the vertical force component $F_y$ usually depends on the severity of the employed cutting parameters, the mode and the location of the deformation and, on the aggregated cutting time. At high cutting speeds, a more stabilized process leads to less cutting fluctuations. As time passes, high wear rate results and the wear becomes more evenly distributed over the cutting edge leading to more stable process and, accordingly, better surface finish. Random modes of tool deformation, such as edge chipping and micro breakage, can be quantitatively assessed by the changes in the static values of each of $F_x$ and $F_z$ while they can be qualitatively detected by the changes in the dynamic domain of the vertical force component $F_y$.

Most of the aforementioned findings are reflected on the developed nonlinear mathematical models to relate the surface roughness to both the cutting parameters and the measured instantaneous force components and, this can be the base of an adaptive control AC technique.

References


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