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Selection of Interpolators to Predict Populations of *Tibraca limbativentris* in Irrigated Rice

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HIGHLIGHTS

- *Tibraca limbativentris* is one of the main pests on rice crops.
- Its spatial distribution pattern can be studied using a geostatistical approach.
- There was variation in the *T. limbativentris* spatial structure according to rice phenology.
- The ordinary kriging interpolator performed better in predicting its populations.

Abstract: Kriging is a method that estimates values in places not sampled from different interpolators, therefore, widely used to predict the spatial distribution of organisms. However, the different interpolators may vary in performance depending on the organism under study or the area evaluated. The aimed study to compare the ordinary kriging and inverse of distance weighted interpolation methods, applied to the spatial distribution of population density of *Tibraca limbativentris* in irrigated rice. This study was carried out in Santa Maria, RS, Brazil, in two fields with areas of 1.3 ha and 6.2 ha, respectively. Seven evaluations of the population density of *T. limbativentris* were carried out, corresponding to the period from sowing to maturation. In these areas the adults of *T. limbativentris* were quantified and the sum used for the statistical and geostatistical analysis. The sample population of *T. limbativentris* was submitted to different semivariograms, which were selected through cross-validation. The sample population of *T. limbativentris* was submitted to different semivariograms, selected by means of cross-validation. Once selected, semivariograms were used in both tested interpolation methods. From the results it was concluded that the ordinary kriging interpolation method performed better in all evaluations performed in both areas. Therefore, we recommend its use for estimating the population density and spatial distribution of *T. limbativentris* in the

irrigated rice throughout the crop phenology. Using appropriate interpolation methods, localized management can be used, reducing costs for controlling this pest and increasing the sustainability of the environment.

Keywords: precision; *Oryza sativa*; stink bug; geostatistics.

INTRODUCTION

Rice (*Oryza sativa* L.) is one of the most produced and consumed cereals in the world, being the main food for more than half the world population [1]. Brazil is the ninth producer, accounting for approximately 2% of production, with Rio Grande do Sul state being the state of greatest production, with about one million cultivated hectares corresponding to 60% of total national production [2].

One of the aspects that undermines the irrigated rice crop is the attack of the stink bug, *Tibraca limbativentris* Stal, 1860 (Hemiptera: Pentatomidae), being considered the second insect of economic importance [2]. This insect-pest can be found in the vegetative and reproductive phases directly affecting the yield components. When attacking the stems, generating the formation of white panicle or the partial sterility of the spikelets, being this the component of the highest influencing the reduction of yield of rice grains [3].

Populations of insect pests in crops can be estimated using interpolation procedures, which allow the generation of continuous surfaces through point sample units [4]. Between the methods of interpolation, the ordinary kriging and the inverse of distance weighted are more used [5].

The ordinary kriging method uses spatial dependence between neighboring samples, expressed in the semivariogram, to estimate values at any position within the field, with no trend and minimum variance⁷. According to Pires and Strieder [8] kriging is a geostatistical process of estimating the values of variables distributed in space, based on adjacent values when considered interdependent by variographic analysis. In method the inverse of distance weighted, the weighting factor is the inverse of the elevated Euclidean distance to an exponent. According to Miranda [9] this interpolator predicts values for non-sampled locations using weighted linear combination of the points sampled in the vicinity. When it is squared, it is defined as the inverse of the square of the distance between the known point and the estimated point.

These methods, stochastic and deterministic respectively, differ in their estimates and several are the works that confirm this situation. Comparing both methods of interpolation, Júnior and coauthors [10] observed a greater reduction in mean variance and sampling error with the inverse of the square of the distance in relation to ordinary kriging in the stratification of eucalyptus stands. Already Mello and coauthors [7] verified smaller errors in the kriging method for parameters of the intense rainfall equation. In analyzing the spatial distribution of cicadas, Soares and coauthors [11] obtained minimal advantages of ordinary kriging for the inverse method of the distance square. Silva et al. [6] used interpolation methods to represent the spatial variability of soil pH in two treatments in the coffee crop, where kriging presented the lowest standard deviation of the mean of the errors. Souza and coauthors [12] did not verify differences between the two interpolation methods for soil chemical attributes, being considered efficient in the inference of values. Silva and coauthors [6] evaluated interpolators for the monthly precipitation in the State of Espírito Santo, where ordinary kriging presented the best estimates. Guedes and coauthors [13] evaluated the potential of the use of spatial interpolators in *Eucalyptus* sp. Stands where the use of the inverse interpolator of the distance square generated better estimates. In general, these studies demonstrate the variability of the performance of the interpolators in function of the object of study, making its study necessary.

Choosing the appropriate interpolation method is essential for obtaining reliable spatialization maps, with lower errors in the estimates [6,7,12, 25]. However, in the vast majority of the works involving regionalized variables with pest insects this is not taken into account, which can often disqualify the presented information for the development of management strategies. Thus, the work aimed to identify the best interpolation method to spatialize the population of *T. limbativentris* in the cultivation of irrigated rice.

MATERIAL AND METHODS

The study area is located in Santa Maria, Rio Grande do Sul, Brazil (Lat. 29° 38' S e Long. 54° 03' W) and was divided into two cultivation areas. The first area with 1.3 ha called field 01 and the second with 6.92 ha called field 02. Both areas were cultivated with the irrigated rice culture under the technical recommendations of the crop [2]. In the surroundings, the areas were surrounded by wild vegetation. The local climate according to the Köppen classification is of the Cfa type, subtropical humid, without dry season and with hot summers [14]. During the execution of the research there was no application of pesticides.

In each cultivation area, a grid of 30 m x 30 m was generated for the insect-pest sampling, yielding 39 sample units at field 01, and 192 sample units at field 02. In each unit, 200 rice plants were sampled, totaling 1 m² (50 suitable plants per linear meter and spacing between rows of 0.20 m). In each rice plant a direct count of the number of individuals of *Tibraca limbativentris*. From the sowing, seven evaluations were carried out for each field, according the rice phenological development (Table 1).

Table1. Phenological stages evaluated according to Counce et al. [15]. Santa Maria, RS, Brazil, 2012/2013 harvest.

Phenological Stage	Description
V3	The collar formed in the 3rd leaf of the main stem.
V6	The collar formed in the 6th leaf of the main stem.
V9(R0)	Corresponding to panicle initiation.
R2	Formation of the collar of the flag leaf (rubber).
R4	Corresponding to anthesis.
R6	Elongation of one or more grains in the shell.
R9	In the R9 stage corresponding to the complete maturity of the grains in the panicle.

For data analysis, the total number of individuals collected per m² (200 plants) was used. The adult values of *T. limbativentris*, by evaluation, were analyzed using descriptive statistical analysis (average, standard deviation, coefficient variation, minimum, maximum, sum, asymmetry and kurtosis) and interpolation techniques. In the ordinary kriging interpolator (OK) the data normality hypothesis was tested by the Shapiro-Wilk test at 5% significance and, when not satisfied, the data that presented positive asymmetry were submitted to Box-Cox transformation.

The data were then submitted to geostatistical analysis to verify the existence of spatial dependence as Pasini et al. [16]. The degree of spatial dependence of the attributes under study was quantified by adjusting the theoretical models to the experimental isotropic semivariograms based on the assumption of stationarity of the intrinsic hypothesis which is estimated by the expression:

$$\gamma(h) = \frac{1}{2N(h)} \sum_{i=1}^{N(h)} [Z(x_i) - Z(x_i + h)]^2$$

where γ is the semivariance and $N(h)$ is the number of pairs of measured values $Z(x_i)$ and $Z(x_i+h)$ separated by a vector h . From the experimental semivariograms were obtained and adjusted the models of semivariograms [17]: circular,

$$\gamma(h) = \frac{2C_0 + C_1}{\pi} \left[\frac{h}{a} \sqrt{1 - \left(\frac{h}{a}\right)^2} + \arcsin \frac{h}{a} \right]$$

for $0 \leq h \leq a$ e $\gamma(h; \theta) = C_0 + C_1$ for $a < h$; Spherical,

$$\gamma(h) = C_0 + C_1 \left[\frac{3h}{2a} - \frac{1}{2} \left(\frac{h}{a}\right)^3 \right]$$

for $0 \leq h \leq a$ e $\gamma(h; \theta) = C_0 + C_1$ for $a < h$; Tetraspherical,

$$\gamma(h) = \frac{2C_0 + C_1}{\pi} \left[\arcsin \left(\frac{h}{a}\right) + \sqrt{1 - \left(\frac{h}{a}\right)^2} + \frac{2h}{3a} \left(1 - \left(\frac{h}{a}\right)^2\right)^{\frac{3}{2}} \right]$$

for $0 \leq h \leq a$ e $\gamma(h; \theta) = C_0 + C_1$ for $a < h$; Pentaspherical,

$$\gamma(h) = C_0 + C_1 \left[\frac{15h}{8a} - \frac{5}{4} \left(\frac{h}{a}\right)^3 + \frac{3}{8} \left(\frac{h}{a}\right)^5 \right]$$

for $0 \leq h \leq a$ e $\gamma(h; \theta) = C_0 + C_1$ for $a < h$; Exponential,

$$\gamma(h) = C_0 + C_1 \left[1 - e^{-3\left(\frac{h}{a}\right)} \right]$$

for all h ; Gaussian,

$$\gamma(h) = C_0 + C_1 \left[1 - e^{-3\left(\frac{h}{a}\right)^2} \right]$$

for all h ; Rational quadratic,

$$\gamma(h) = C_0 + C_1 \frac{19 \left(\frac{h}{a}\right)^2}{1 + 19 \left(\frac{h}{a}\right)^2}$$

for all h ; Cardinal sin, 0 for $h=0$ and

$$\gamma(h) = C_0 + C_1 \frac{1 - \sin\left(\frac{2\pi h}{a}\right)}{\sin\left(\frac{2\pi h}{a}\right)}$$

for $h \neq 0$; k-bessel,

$$\gamma(h) = C_0 + C_1 \left[1 - \frac{\left(\frac{\Omega_{\theta_k} h}{a}\right)^{\theta_k}}{2^{\theta_k-1} \Gamma(\theta_k)} K_{\theta_k} \left(\frac{\Omega_{\theta_k} h}{a}\right) \right]$$

for all h , where Ω_{θ_k} is a value found numerically by

$$\gamma(\theta_k) - 0.95 (C_0 + C_1)$$

for all θ_k , $\Gamma(\theta_k)$ this gamma function,

$$\Gamma(y) = \int_0^{\infty} x^{y-1} \exp(-x) dx$$

and K_{θ_k} is the order-modified Bessel function θ_k ; j-bessel,

$$\gamma(h) = C_0 + C_1 \left[1 - \frac{2^{\theta_d} \Gamma(\theta_d + 1)}{\left(\frac{\Omega_{\theta_d} h}{a}\right)^{\theta_d}} J_{\theta_d} \left(\frac{\Omega_{\theta_d} h}{a}\right) \right]$$

for all h , where $C_0 + C_1 \geq 0$, $a \geq 0$, $\theta_d \geq 0$, Ω_{θ_d} , must satisfy, $B = a$, $B > 0$, $\gamma(B) = C_0 + C_1$, $\gamma'(B) < 0$ and J_{θ_d} in the j-bessel function; Stable,

$$\gamma(h) = C_0 + C_1 \left[1 - e^{-3\left(\frac{h}{a}\right)^{\theta_e}} \right]$$

for all h , where $C_0 + C_1 \in 0 \leq \theta_e \leq 2$; estimated according to Johnson et al. [17] in ArcGis 9.2 software.

In order to verify the existence of spatial dependence, the Spatial Dependency Index (SDI), which represents a ratio of spatial dependence, quantified by the semivariogram model, is estimated to contribute to the variability of the data, $SDI = \frac{C_1}{C_0 + C_1}$, being classified as strong ($SDI > 75\%$), medium ($25 < SDI \leq 75\%$) and low ($SDI \leq 25\%$) [18]. Based on the presence of spatial dependence between the data, OK inferences were performed, estimating values at unmeasured locations.

For the choice of the semivariogram model the cross-validation technique was used according to Webster and Oliver [19], the weighted sum of the linear regression indicators (intersection "b", angular coefficient "a" and coefficient of determination " R^2 "), mean of errors (\bar{E}), standard deviation of errors (DPE), mean of absolute errors (\overline{EA}), root mean square of errors ($RQME$) and the mean square root of errors standardized ($RQMEP$) according Pasini et al. [16].

The inverse of the distance weighted (IDW) is a univariate deterministic interpolator of weighted averages, $\hat{Z}_i = \frac{\sum_{i=1}^n \left(\frac{1}{d_i^\lambda} \times Z_i\right)}{\sum_{i=1}^n \left(\frac{1}{d_i^\lambda}\right)}$, on what \hat{Z}_i is the interpolated value, Z_i is the value sampled and d_i is the Euclidean distance between the sampled and the estimated point, n number of neighboring points used in the interpolation and λ is the weighting exponent of the Euclidean distance, which is applied to the weights 2, 3, 4, 5 and 6.

For the selection of the best weighting weight, cross-validation was applied through linear regression (a , b , R^2), $\bar{E} = \frac{\sum_{i=1}^n [\hat{Z}(s_i) - z(s_i)]}{n}$, $DPE = \sqrt{\frac{\sum_{i=1}^n \{[\hat{Z}(s_i) - z(s_i)] - \bar{E}\}^2}{n-1}}$, $\overline{EA} = \frac{\sum_{i=1}^n |[\hat{Z}(s_i) - z(s_i)]|}{n}$ e $RQME = \sqrt{\frac{\sum_{i=1}^n [\hat{Z}(s_i) - z(s_i)]^2}{n}}$.

From the estimated cross-validation indicators, scores from 1 to 5 were assigned, according to the selection criterion of each indicator: for the estimates of b , R^2 the value closest or equal to 1 was assigned to note 5 and to the farthest value of 1 was assigned to note 1, respectively; for the estimates a , b , \bar{E} , DPE , CVE , \overline{EA} and $RQME$ the value closest to or equal to 0 was assigned to note 5 and to the farthest value of 0 was assigned to note 1, respectively. After the assignment of the notes, the sum of these were carried out within each weight and situation evaluated adopting the criterion of choice of the model with the highest sum of the notes.

For the choice of the best interpolator between ordinary kriging and the inverse of the distance weighted, the cross-validation between the best theoretical model of semivariogram and the best weighting weight was applied through the indicators a , b , R^2 , \bar{E} , DPE , \bar{EA} e $RQME$. From the estimated cross-validation indicators, scores from 1 to 2 were assigned, according to the selection criterion of each indicator: for the estimates of b , R^2 the value closest or equal to 1 was assigned to note 2 and to the farthest value of 1 was assigned to note 1, respectively; for the estimates a , b , \bar{E} , DPE , CVE , \bar{EA} e $RQME$ the value closest to or equal to 0 was assigned to note 2 and to the farthest value of 0 was assigned to note 1, respectively. After the assignment of the notes, the sum of these was performed within each interpolator adopting the criterion of choice of the method with the highest sum of the notes. As a complementary evaluation between the interpolators, the estimation maps for each crop and evaluation were generated.

RESULTS AND DISCUSSION

A total of 8414 adults of *Tibraca limbativentris* were collected and identified, corresponding to an average of 6.69 adults m^{-2} per tillage and by evaluation. The asymmetry values showed that for most evaluations in the fields, the data presented a positive asymmetry (Table 1), results influenced by the greater amount of low values or zeros. This behavior of the distribution of the data is related to the *T. limbativentris* dispersion patterns and its concentration in areas near the borders of the field. According to Yamamoto and Landim [20], when the distribution has positive asymmetry, data transformation is necessary to avoid the influence of few high values in the estimation of neighborhood points characterized by low values. However, for data with normal distribution or with negative asymmetry there is no need for data transformation. For evaluations where there was a need for transformation, all presented significance in the Shapiro-Wilk test after the test (Table 2).

In both areas and evaluations, the theoretical models indicated a spatial dependence greater than 75%. Such values suggest a strong contribution from space on data variability [18]. In this way, inferences can be made from the ordinary kriging for the theoretical models of semivariograms in the evaluations and fields. From the selection criteria, 9 models of semivariograms were selected for the 14 evaluations (Table 3). It was also found that the cross-validation indicators differed in relation to their estimated values for the same model tested, which generated differences in the scores for selection. This highlights the importance of using a greater number of indicators for decision making [16].

Table 2. Descriptive statistics of the number of adults of *Tibraca limbativentris* (Hemiptera: Pentatomidae) per m² sampled in the phenological stages of irrigated rice fields. Santa Maria, Rio Grande do Sul, Brazil, 2012/13 harvest.

Descriptive Statistics	Phenological stages							Phenological stages						
	V3	V6	V9(R0)	R2	R4	R6	R9	V3	V6	V9(R0)	R2	R4	R6	R9
	----- Field 01 -----							----- Field 02 -----						
Average	0.41	1.62	4.28	12.10	13.85	16.31	12.59	0.34	1.10	3.39	3.75	6.62	6.99	7.56
Standard deviation	0.64	1.63	3.19	4.94	3.52	4.32	3.31	0.67	1.19	3.11	3.99	4.21	4.55	4.95
Coefficient variation	1.55	1.01	0.74	0.41	0.25	0.27	0.26	1.97	1.08	0.91	1.06	0.63	0.65	0.66
Minimum	0	0	0	2	7	8	6	0	0	0	1	2	2	2
Maximum	2	5	12	21	19	26	19	3	6	13	16	19	20	21
Sum	16	63	167	472	540	636	491	65	213	651	1032	1272	1343	1453
Sum Field							2385							6029
Assimmetry	1.32	0.82	0.42	-0.44	-0.54	0.14	0.28	2.16	1.08	1.08	1.18	1.17	1.27	1.35
Kurtosis	0.69	-0.55	-0.80	-0.86	-0.66	-0.63	-0.71	4.53	0.96	0.29	0.08	0.11	0.43	0.59
<i>p</i> -value SW test	ns	ns	ns	ns	ns	0.55*	0.19*	ns	ns	ns	ns	ns	ns	ns
λ (Box-Cox)	-1.74	0	0.42	-	-	-	-	-2.5	0	0.58	0.47	0.68	1.03	0.98
<i>p</i> -value SW test	0.06*	0.07*	0.09*	-	-	-	-	0.06*	0.06*	0.07*	0.06*	0.07*	0.10*	0.06*

* The data presented adherence to normality by the Shapiro-Wilk (SW) test at a 5% level of significance.

Table 3. Parameters of the theoretical semivariogram models selected from the sum criterion of the cross-validation indicators, for the fields and crop phenology.

		Selection Model ²				Cross validation ³								
Models ¹		C ₀	C ₁	a	IDE	a	b	R ²	\bar{E}	\overline{EA}	DPE	RQME	RQMEP	Σ
----- Field 01 -----														
V3	JB	0.052	0.407	82.9	89	0.740(9)	0.104(9)	0.736(10)	-0.003(9)	0.235(9)	0.327(10)	0.310(11)	0.916(10)	77
V6	JB	0.362	1.912	151.2	84	0.552(11)	0.722(11)	0.530(11)	-0.002(8)	0.739(11)	1.119(11)	1.105(11)	0.992(9)	83
V9	C	0	9.069	40.3	100	0.671(7)	1.479(7)	0.781(11)	0.072(4)	1.455(11)	1.801(11)	1.798(11)	0.757(3)	65
R2	Es	3.899	21.248	60.1	84	0.703(8)	3.786(8)	0.675(8)	0.193(7)	2.108(7)	2.817(9)	2.884(5)	1.023(11)	63
R4	KB	0	10.051	36.5	100	0.565(10)	6.027(10)	0.530(10)	0.000(11)	1.887(9)	2.418(11)	2.387(11)	0.962(9)	81
R6	C	2.164	25.083	119.0	92	0.532(8)	7.719(7)	0.489(11)	0.086(3)	2.445(11)	3.101(11)	3.579(9)	1.124(9)	69
R9	T	0.841	10.282	72.4	92	0.497(2)	6.294(2)	0.498(10)	-0.038(11)	1.633(11)	2.249(11)	2.219(11)	0.967(9)	67
----- Field 02 -----														
V3	RQ	0	0.437	98.1	100	0.668(9)	0.100(9)	0.654(10)	-0.013(7)	0.217(11)	0.392(11)	0.391(11)	0.972(11)	79
V6	E	0	1.480	130.3	100	0.742(10)	0.267(9)	0.709(11)	-0.016(9)	0.440(9)	0.642(11)	0.641(11)	1.183(3)	73
V9	Es	0	2.615	40.8	100	0.928(11)	0.222(10)	0.895(11)	-0.021(6)	0.715(11)	1.014(7)	1.012(7)	1.162(8)	71
R2	C	0	5.745	56.8	100	0.958(8)	0.219(7)	0.954(11)	-0.006(6)	0.666(11)	0.853(11)	0.851(11)	0.605(8)	73
R4	G	0	4.262	41.7	100	0.966(9)	0.218(9)	0.950(11)	-0.008(9)	0.805(8)	1.037(11)	1.034(11)	0.988(11)	79
R6	G	0	4.064	42.1	100	0.973(11)	0.160(11)	0.943(11)	-0.008(7)	0.873(10)	1.113(11)	1.110(11)	1.001(11)	83
R9	P	0	13.857	126.7	100	0.928(2)	0.542(3)	0.939(11)	-0.003(9)	0.910(11)	1.225(11)	1.221(11)	0.674(4)	63

¹Circular (C), Spherical (E), Tetraspherical (T), Pentaspherical (P), Exponential (Ex), Gaussian (G), Rational Quadratic (QR), Cardinal Sin (SC), J-Bessel (JB), K-Bessel (KB), Stable (Es).²Nugget Effect (C₀), Portion (C₁), Reach (a) and Space Dependency Index (IDE).³Interception (a); Angular Coefficient (b); Coefficient of determination (R²), Mean of errors (\bar{E}); Standard Error Deviation (DPE); Mean of Absolute Errors (\overline{EA}); Square Root Mean of Errors (RQME); Root Mean Square of the Standardized Error (RQMEP).

In field 01, the J-Bessel model presented the highest sum of the scores between the models in the V3 and V6 stages; the Circular model in the V9 and R6; the Stable model in the R2; the K-Bessel model in the R4 and the Tetraspheric model in the R9 (Table 3). In field 02, the Rational Quadratic model in the V3 assessment; the Spherical model in the V6; the Stable model in the V9; the Circular model in the R2; the Gaussian model in the R4 and R6 evaluations; and the Pentaspheric model in the R9 stage (Table 3). Such results differing from the model used by Grego and coauthors [21] in *Pseudaletia sequax* (Lepidoptera: Noctuidae), Dinardo-Miranda and coauthors [22] in *Mahanarva fimbriolata* (Hemiptera: Cercopidae), Dal Prá and coauthors [23] in *Diloboderus abderus* (Coleoptera: Melolonthidae) and Dinardo-Miranda and coauthors [22] in *Cotesia flavipes* (Hymenoptera: Braconidae).

Of the models with greater sum, there was effect nugget only in the field 01 (V3, V6, R2, R6 and R9 stages), however, this did not affect the spatial dependency index of these assessments. The range values were higher than the sampling mesh, indicating that the grid used was adequate. The nugget effect indicates the part of the variance that cannot be explained by the spatial dependence. The range values were higher than those chosen for sampling, indicating the adequacy of the sampling grid employed.

The weights were selected according to the criterion of choice (Table 4). In field 01, the sixth weighting was selected in the stages V3, V9, R2, R4, R6 and R9 and the third weighting in the stage V9. In field 02 the third weighting was selected in evaluations V3 and V6, the sixth in V9, R4, R6 and R9 stages, and the fourth weight in the R2 stage. For most evaluations, higher value weights were selected, indicating that for *T. limbativentris* estimates the lower the influence of more distant points. However, in the choice of weights there is no direct or inverse relation to the descriptive statistics.

For all evaluations, the ordinary kriging interpolator was superior to the inverse of distance weighted (Table 5), agreeing with Mello and coauthors [7], Soares and coauthors [11], Silva and coauthors [6], Silva and coauthors [24]. According to Soares and coauthors [11] the superiority of the ordinary kriging interpolator is attributed to the non-bias of the estimator and the minimum variance of the estimates being considered an optimal interpolator. The values obtained from the cross-validation indicators show that both methods of interpolation in their estimates were biased, with intersection values higher than zero and angular coefficient lower than one (Table 5). This result indicates that there was overestimation for low values and underestimation of the high values, agreeing with Yamamoto and Landim [27]. However, from the mean of the errors, it has been found that this underestimation or overestimation is less than an adult individual of *T. limbativentris* per m², and is not very representative.

There was a direct relationship between the mean values of absolute errors and the increase in the population density of *T. limbativentris* (Table 1), with a higher value for R6 stage (Table 5). However, the values of the standard deviation of the errors and mean square root of the errors indicate that there is a smaller variation of these with respect to the mean for the ordinary kriging interpolator, which stands out its greater accuracy with respect to the inverse of distance weighted interpolator.

Table 4. Estimates of cross validation and assigned scores (in parentheses) from the inverse of distance weighted (IDW) interpolator of different weights in the evaluations of fields 01 and 02.

Indicator ¹	Field 01					Field 02				
	Weighting					Weighting				
	2	3	4	5	6	2	3	4	5	6
	-----V3-----									
<i>a</i>	0.320(1)	0.402(2)	0.465(3)	0.508(4)	0.537(5)	0.489(1)	0.527(2)	0.548(3)	0.557(4)	0.561(5)
<i>b</i>	0.259(1)	0.231(2)	0.210(3)	0.196(4)	0.186(5)	0.151(1)	0.145(2)	0.141(3)	0.140(5)	0.140(5)
<i>R</i> ²	0.539(1)	0.636(2)	0.679(3)	0.692(4)	0.693(5)	0.578(1)	0.572(2)	0.551(3)	0.528(4)	0.506(5)
\bar{E}	-0.020(1)	-0.014(2)	-0.009(3)	-0.006(4)	-0.003(5)	-0.022(1)	-0.011(3)	-0.012(2)	-0.010(4)	-0.009(5)
\bar{EA}	0.352(1)	0.311(2)	0.283(3)	0.266(4)	0.258(5)	0.246(4)	0.245(5)	0.248(3)	0.252(2)	0.257(1)
<i>DPE</i>	0.473(1)	0.427(2)	0.398(3)	0.381(4)	0.373(5)	0.440(4)	0.438(5)	0.447(3)	0.459(2)	0.472(1)
<i>RQME</i>	0.467(1)	0.422(2)	0.392(3)	0.375(4)	0.366(5)	0.440(4)	0.437(5)	0.446(3)	0.458(2)	0.471(1)
Σ	7	14	21	28	35	16	24	21	23	23
	-----V6-----									
<i>a</i>	0.383(1)	0.410(2)	0.430(3)	0.444(4)	0.452(5)	0.607(1)	0.642(2)	0.664(3)	0.676(4)	0.682(5)
<i>b</i>	0.955(1)	0.926(2)	0.905(3)	0.893(4)	0.886(5)	0.392(1)	0.363(2)	0.346(3)	0.335(4)	0.330(5)
<i>R</i> ²	0.414(5)	0.403(4)	0.389(3)	0.374(2)	0.360(1)	0.691(5)	0.690(4)	0.681(3)	0.669(2)	0.657(1)
\bar{E}	-0.042(1)	-0.027(2)	-0.015(3)	-0.006(4)	0.000(5)	-0.045(1)	-0.034(2)	-0.027(3)	-0.024(4)	-0.022(5)
\bar{EA}	0.906(1)	0.882(5)	0.887(4)	0.894(3)	0.902(2)	0.470(2)	0.463(5)	0.464(4)	0.468(3)	0.473(1)
<i>DPE</i>	1.252(5)	1.262(4)	1.281(3)	1.305(2)	1.330(1)	0.680(4)	0.674(5)	0.681(3)	0.693(2)	0.705(1)
<i>RQME</i>	1.236(5)	1.243(4)	1.262(3)	1.285(2)	1.310(1)	0.680(3)	0.673(5)	0.679(4)	0.691(2)	0.704(1)
Σ	20	23	22	21	20	17	25	23	21	19
	-----V9(R0)-----									
<i>a</i>	0.386(1)	0.451(2)	0.496(3)	0.524(4)	0.541(5)	0.803(1)	0.831(2)	0.848(3)	0.857(4)	0.863(5)
<i>b</i>	2.721(1)	2.477(2)	2.309(3)	2.205(4)	2.146(5)	0.598(1)	0.534(2)	0.495(3)	0.471(4)	0.457(5)
<i>R</i> ²	0.531(1)	0.592(2)	0.616(3)	0.622(5)	0.621(4)	0.874(5)	0.885(4)	0.890(3)	0.893(2)	0.895(1)
\bar{E}	0.093(5)	0.127(4)	0.151(3)	0.168(2)	0.179(1)	-0.072(1)	-0.040(2)	-0.022(3)	-0.012(4)	-0.008(5)
\bar{EA}	1.733(1)	1.615(2)	1.565(3)	1.554(5)	1.561(4)	0.839(1)	0.796(2)	0.773(3)	0.763(4)	0.756(5)
<i>DPE</i>	2.272(1)	2.117(2)	2.034(3)	1.999(4)	1.989(5)	1.129(1)	1.072(2)	1.041(3)	1.024(4)	1.015(5)
<i>RQME</i>	2.244(1)	2.093(2)	2.014(3)	1.980(4)	1.971(5)	1.128(1)	1.069(2)	1.038(3)	1.022(4)	1.012(5)
Σ	11	16	21	28	29	11	16	21	26	31
	-----R2-----									
<i>a</i>	0.470(1)	0.529(2)	0.576(3)	0.609(4)	0.633(5)	0.868(1)	0.894(2)	0.910(3)	0.919(4)	0.924(5)
<i>b</i>	6.697(1)	5.986(2)	5.447(3)	5.063(4)	4.794(5)	0.642(1)	0.548(2)	0.491(3)	0.458(4)	0.439(5)
<i>R</i> ²	0.581(1)	0.627(2)	0.651(3)	0.662(4)	0.666(5)	0.940(1)	0.946(2)	0.948(3)	0.948(3)	0.947(5)
\bar{E}	0.278(5)	0.291(4)	0.311(3)	0.332(2)	0.349(1)	-0.066(1)	-0.019(3)	0.009(5)	0.024(4)	0.032(2)
\bar{EA}	2.438(1)	2.263(2)	2.160(3)	2.158(2)	2.155(1)	0.794(1)	0.742(2)	0.706(5)	0.707(3)	0.707(3)
<i>DPE</i>	3.276(1)	3.074(2)	2.950(3)	2.887(4)	2.858(5)	1.019(1)	0.953(2)	0.907(5)	0.920(4)	0.922(3)
<i>RQME</i>	3.245(1)	3.048(2)	2.928(3)	2.868(4)	2.843(5)	1.019(1)	0.951(2)	0.904(5)	0.918(4)	0.920(3)
Σ	7	16	21	24	27	7	15	29	26	26
	-----R4-----									
<i>a</i>	0.373(1)	0.423(2)	0.461(3)	0.488(4)	0.506(5)	0.833(1)	0.866(2)	0.886(3)	0.897(4)	0.903(5)
<i>b</i>	8.658(1)	7.997(2)	7.512(3)	7.182(4)	6.966(5)	1.025(1)	0.864(2)	0.765(3)	0.706(4)	0.671(5)
<i>R</i> ²	0.439(1)	0.466(2)	0.481(3)	0.488(4)	0.491(5)	0.916(1)	0.925(2)	0.929(3)	0.931(4)	0.932(5)
\bar{E}	-0.018(4)	0.013(5)	0.055(3)	0.096(2)	0.131(1)	-0.080(1)	-0.023(3)	0.009(5)	0.023(3)	0.030(2)
\bar{EA}	2.171(1)	2.093(2)	2.023(3)	1.966(4)	1.924(5)	0.982(1)	0.903(2)	0.862(3)	0.842(4)	0.834(5)
<i>DPE</i>	2.661(1)	2.582(2)	2.538(3)	2.519(4)	2.513(5)	1.296(1)	1.200(2)	1.154(3)	1.134(4)	1.124(5)
<i>RQME</i>	2.639(1)	2.549(2)	2.505(3)	2.487(4)	2.483(5)	1.295(1)	1.197(2)	1.151(3)	1.131(4)	1.121(5)
Σ	10	17	21	26	31	7	15	23	27	32
	-----R6-----									
<i>a</i>	0.429(1)	0.444(2)	0.454(3)	0.460(4)	0.463(5)	0.830(1)	0.862(2)	0.881(3)	0.892(4)	0.898(5)
<i>b</i>	9.390(1)	9.132(2)	8.955(3)	8.844(4)	8.778(5)	1.091(1)	0.923(2)	0.820(3)	0.757(4)	0.719(5)
<i>R</i> ²	0.470(5)	0.462(4)	0.454(3)	0.447(2)	0.440(1)	0.914(1)	0.922(2)	0.926(3)	0.928(4)	0.929(5)
\bar{E}	0.086(1)	0.072(2)	0.056(3)	0.040(4)	0.027(5)	-0.096(1)	-0.044(2)	-0.015(3)	0.000(5)	0.008(4)
\bar{EA}	2.543(1)	2.553(2)	2.561(3)	2.567(4)	2.573(5)	1.041(1)	0.973(2)	0.942(3)	0.931(4)	0.923(5)
<i>DPE</i>	3.157(5)	3.173(4)	3.195(3)	3.217(2)	3.240(1)	1.396(1)	1.303(2)	1.257(3)	1.234(4)	1.224(5)
<i>RQME</i>	3.386(5)	3.483(4)	3.564(3)	3.620(2)	3.656(1)	1.396(1)	1.300(2)	1.254(3)	1.231(4)	1.220(5)
Σ	19	20	21	22	23	7	14	21	29	34
	-----R9-----									
<i>a</i>	0.316(1)	0.379(2)	0.426(3)	0.458(4)	0.481(5)	0.817(1)	0.851(2)	0.872(3)	0.884(4)	0.891(5)
<i>b</i>	8.632(1)	7.817(2)	7.220(3)	6.804(4)	6.517(5)	1.264(1)	1.061(2)	0.935(3)	0.863(4)	0.821(5)
<i>R</i> ²	0.438(1)	0.485(2)	0.503(3)	0.509(4)	0.510(5)	0.910(1)	0.920(2)	0.924(3)	0.926(5)	0.926(5)
\bar{E}	0.022(1)	0.001(5)	-0.012(4)	-0.016(2)	-0.013(3)	-0.119(1)	-0.065(2)	-0.033(3)	-0.017(4)	-0.007(5)
\bar{EA}	2.049(1)	1.923(2)	1.868(3)	1.838(4)	1.820(5)	1.132(1)	1.051(2)	1.003(3)	0.985(4)	0.976(5)
<i>DPE</i>	2.558(1)	2.432(2)	2.364(3)	2.334(4)	2.324(5)	1.560(1)	1.448(2)	1.393(3)	1.368(4)	1.358(5)
<i>RQME</i>	2.540(1)	2.404(2)	2.334(3)	2.303(4)	2.293(5)	1.560(1)	1.446(2)	1.389(3)	1.364(4)	1.355(5)
Σ	7	17	22	26	33	7	14	21	29	35

¹Interception (*a*); Angular Coefficient (*b*); Coefficient of determination (*R*²); Mean of errors (\bar{E}); Standard Error Deviation (*DPE*); Mean of Absolute Errors (\bar{EA}); Square Root Mean of Errors (*RQME*); Root Mean Square of the Standardized Error (*RQMEP*).

Table 5. Estimates of cross-validation and scores awarded (in parentheses) from the best semivariogram model in ordinary kriging (OK) and the best weight for the inverse of distance weighted (IDW) in the assessments of fields 01 and 02.

Indicator	Field 01		Field 02	
	OK	IDW	OK	IDW
	----- V3 -----			
<i>a</i>	0.740(2)	0.537(1)	0.668(2)	0.527(1)
<i>b</i>	0.104(2)	0.186(1)	0.100(2)	0.145(1)
R^2	0.736(2)	0.693(1)	0.654(2)	0.572(1)
\bar{E}	-0.003(2)	-0.003(2)	-0.013(1)	-0.011(2)
\overline{EA}	0.235(2)	0.258(1)	0.217(2)	0.245(1)
DPE	0.327(2)	0.373(1)	0.392(2)	0.438(1)
RQME	0.310(2)	0.366(1)	0.391(2)	0.437(1)
Σ	14	8	13	8
	----- V6 -----			
<i>a</i>	0.552(2)	0.410(1)	0.742(2)	0.642(1)
<i>b</i>	0.722(2)	0.926(1)	0.267(2)	0.363(1)
R^2	0.530(2)	0.403(1)	0.709(2)	0.690(1)
\bar{E}	-0.002(2)	-0.027(1)	-0.016(2)	-0.034(1)
\overline{EA}	0.739(2)	0.882(1)	0.440(2)	0.463(1)
DPE	1.119(2)	1.262(1)	0.642(2)	0.674(1)
RQME	1.105(2)	1.243(1)	0.641(2)	0.673(1)
Σ	14	7	14	7
	----- V9(R0) -----			
<i>a</i>	0.671(2)	0.654(1)	0.928(2)	0.857(1)
<i>b</i>	1.479(2)	2.216(1)	0.222(2)	0.471(1)
R^2	0.781(2)	0.704(1)	0.895(2)	0.893(1)
\bar{E}	0.072(2)	-0.127(1)	-0.021(1)	-0.012(2)
\overline{EA}	1.455(1)	1.329(2)	0.715(2)	0.763(1)
DPE	1.801(1)	1.629(2)	1.014(2)	1.024(1)
RQME	1.798(1)	1.570(2)	1.012(2)	1.022(1)
Σ	11	10	13	8
	----- R2 -----			
<i>a</i>	0.681(2)	0.633(1)	0.958(2)	0.910(1)
<i>b</i>	4.068(2)	4.794(1)	0.219(2)	0.491(1)
R^2	0.678(2)	0.666(1)	0.954(2)	0.948(1)
\bar{E}	0.212(2)	0.349(1)	-0.006(2)	0.009(1)
\overline{EA}	2.098(2)	2.155(1)	0.666(2)	0.706(1)
DPE	2.800(2)	2.858(1)	0.853(2)	0.907(1)
RQME	2.824(2)	2.843(1)	0.851(2)	0.904(1)
Σ	14	7	14	7
	----- R4 -----			
<i>a</i>	0.565(2)	0.506(1)	0.966(2)	0.903(1)
<i>b</i>	6.027(2)	6.966(1)	0.218(2)	0.671(1)
R^2	0.530(2)	0.491(1)	0.950(2)	0.932(1)
\bar{E}	0.000(2)	0.131(1)	-0.008(2)	0.030(1)
\overline{EA}	1.887(2)	1.924(1)	0.805(2)	0.834(1)
DPE	2.418(2)	2.513(1)	1.037(2)	1.124(1)
RQME	2.387(2)	2.483(1)	1.034(2)	1.121(1)
Σ	14	7	14	7
	----- R6 -----			
<i>a</i>	0.532(2)	0.463(1)	0.973(2)	0.898(1)
<i>b</i>	7.719(2)	8.778(1)	0.160(2)	0.719(1)
R^2	0.489(2)	0.440(1)	0.943(2)	0.929(1)
\bar{E}	0.086(1)	0.027(2)	-0.008(2)	0.008(2)
\overline{EA}	2.445(2)	2.573(1)	0.873(2)	0.923(1)
DPE	3.101(2)	3.240(1)	1.113(2)	1.224(1)
RQME	3.579(2)	3.656(1)	1.110(2)	1.220(1)
Σ	13	8	14	8
	----- R9 -----			
<i>a</i>	0.497(2)	0.481(1)	0.928(2)	0.891(1)
<i>b</i>	6.294(2)	6.517(1)	0.542(2)	0.821(1)
R^2	0.498(1)	0.510(2)	0.939(2)	0.926(1)
\bar{E}	-0.038(1)	-0.013(2)	-0.003(2)	-0.007(1)
\overline{EA}	1.633(2)	1.820(1)	0.910(2)	0.976(1)
DPE	2.249(2)	2.324(1)	1.225(2)	1.358(1)
RQME	2.219(2)	2.293(1)	1.221(2)	1.355(1)
Σ	12	9	14	7

¹Interception (*a*); Angular Coefficient (*b*); Coefficient of determination (R^2), Mean of errors (\bar{E}); Standard Error Deviation (DPE); Mean of Absolute Errors (\overline{EA}); Square Root Mean of Errors (RQME); Root Mean Square of the Standardized Error (RQMEP).

The maps of the spatial distribution of adults of *T. limbativentris* per m² interpolated respectively by ordinary kriging and inverse of distance weighted for different crop stages revealed a better delimitation of the zones with population densities for the ordinary kriging interpolator. Where the lines presented an organic behavior, different from that found for the interpolator of the inverse of distance weighted, with straight lines (Figure 1a, b). A negative characteristic of the inverse of distance weighted interpolation method is the generation of a crosshair around the observed points [25]. The targeting effect, when present, can interfere with decision making for localized sampling and pest control.

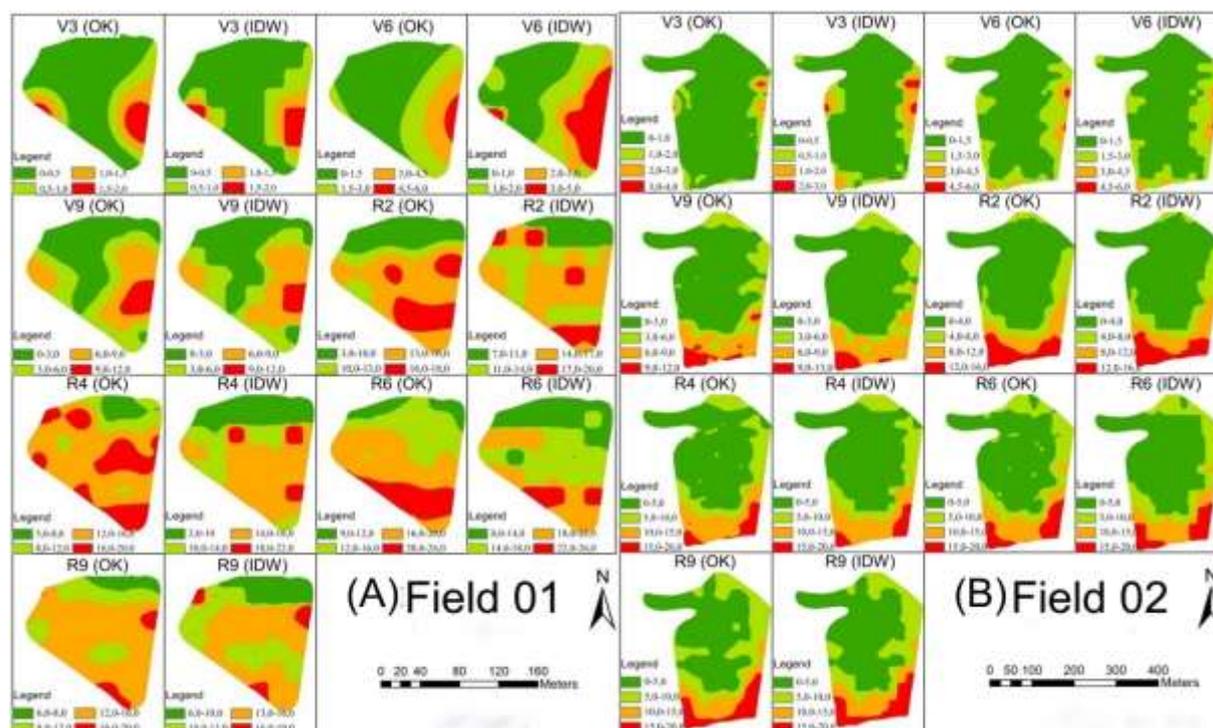


Figure 1. Spatial distribution of *Tibraca limbativentris* (Hemiptera: Pentatomidae) per m² interpolated respectively by ordinary kriging (OK) and inverse of the weighted distance (IDW) for different evaluations in Field 01 (A) and Field 02 (B).

Finally, the results demonstrate that for spatialization of *T. limbativentris* in irrigated rice, the ordinary kriging interpolator obtained better performance through geostatistical analysis. Thus, it is noted that the ordinary kriging interpolator stood out in relation to the inverse of distance weighted. This suggests that its use in the spatialization of *T. limbativentris* in irrigated rice may be more efficient in making decisions about georeferenced monitoring techniques for this insect pest. Impacting the costs, efficiency and sustainability of its management.

CONCLUSION

Ordinary kriging interpolation method presents better performance applied in the spatialization of the population density of *Tibraca limbativentris* in the cultivation of irrigated rice.

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